

# Trade Adjustment Dynamics and the Welfare Gains from Trade

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## Fundamental questions

1. How big are the welfare gains from trade?
2. How big are trade barriers?

## Advances in trade theory

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- ▶ Producer-level heterogeneity
  - ▶ Eaton and Kortum (2002), Melitz(2003)
  
- ▶ Discrete-choice export decisions
  - ▶ Baldwin and Krugman (1989), Roberts and Tybout (1997)
  - ▶ Entry cost and continuation cost formulation
  - ▶ Exporting is a dynamic choice
  
- ▶ What have we learned?

## Fundamental questions: The literature

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### 1. How big are the welfare gains from trade?

- ▶ Not very big
- ▶ In “static” models: Firm heterogeneity not important (Arkolakis, Costinot, Rodriguez-Clare, 2012)

### 2. How big are trade barriers?

- ▶ Producer export entry costs are very large
- ▶ Significant fraction of entry cost is sunk

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### 2. How big are trade barriers?

- ▶ Producer export entry costs are very large
- ▶ Significant fraction of entry cost is sunk
- ▶ Missing: Connection between firm dynamics and the aggregate
  - ▶ Most GE models lack micro-founded aggregate dynamics
  - ▶ Most exporter dynamic models are PE

## Our model

- ▶ GE model with producer-level export dynamics
- ▶ Keep standard sunk/fixed cost setup
- ▶ Introduce stochastic variable trade costs
  - ▶ Need time, resources, and luck to become an efficient exporter
  - ▶ Model: 3 years to turn profit, 5 years to break even
- ▶ Key tradeoff: accumulating varieties vs. exporters
  
- ▶ Plant-level data discipline aggregate dynamics

## Fundamental questions: Our answers

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### 1. How big are the welfare gains from trade?

- ▶ Larger than steady-state changes
- ▶ Gain 2.8X larger than no-micro-dynamics model
- ▶ Gain 1.5X larger than sunk-cost model
- ▶ Unilateral liberalization: Welfare gain, but s-s consumption falls

### 2. How big are trade barriers?

- ▶ Entry costs are smaller than previous estimates
- ▶ Sunk component substantially smaller
- ▶ Total resources devoted to exporting are large

## Overview

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- ▶ Exporter dynamics facts
- ▶ Model
- ▶ Results
  - ▶ Estimates of export technology
  - ▶ Welfare in bilateral trade reform
  - ▶ Welfare in unilateral trade reform



## Micro exporter facts

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1. Not all plants export (22% in US)
2. Exporters are relatively large (5x larger)
3. Exporting is persistent (83% survival)

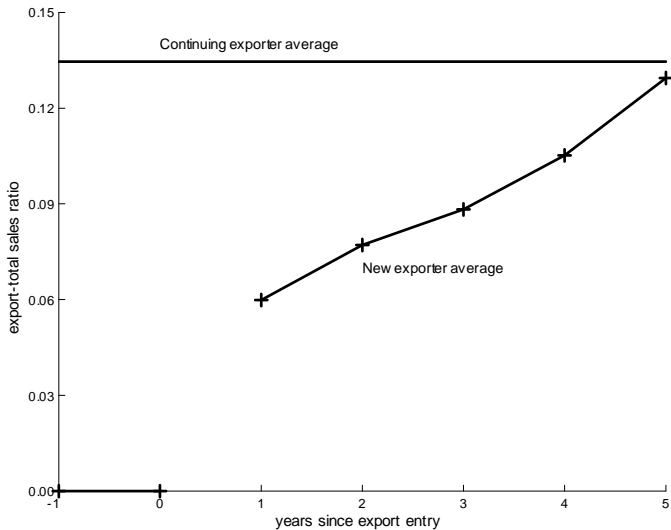
## Micro exporter facts

1. Not all plants export (22% in US)
2. Exporters are relatively large (5x larger)
3. Exporting is persistent (83% survival)
4. New exporters start with low *export intensity*

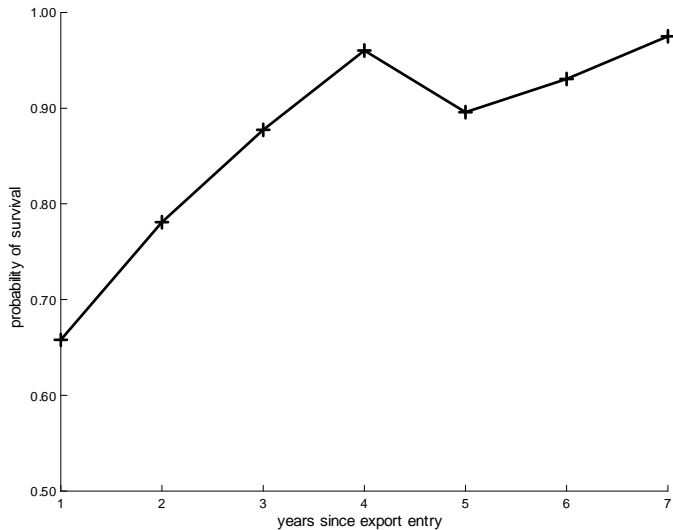
$$\text{exs}_{it} = \text{exports}_{it} / \text{total sales}_{it}$$

5. New exporters take time (5yrs) to get to average exporter levels
6. New exporters have high exit rates

## Export intensity of Colombian exporters (Ruhl & Willis, 17)



## Survival probability of Colombian new exporters (Ruhl & Willis, 17)



## New exporter importance, growth, and survival

	End of sample		Starter size discount		Export survival	
	Part.	Exports	Sales	Intensity	All exporters	Starters
Chile (98–06)	56.7	39.2	0.53	0.45	0.81	0.65
Colombia (81–89)	57.2	38.4	0.41	0.46	0.90	0.66
Balanced panels						
Chile (98–06)	27.4	9.2	0.49	0.59	0.83	0.66
Colombia (81–89)	24.7	14.5	0.43	0.48	0.90	0.68
Compustat (84–92)	28.2	11.0	0.54	0.51	0.93	0.83
U.S.* (84–92)	42.0		0.4–0.6	0.55	0.66	

\* Bernard and Jensen (1995, 1999, 2004)

## Model

- ▶ General equilibrium, infinite horizon, 2 country  $\{H, F\}$  model
- ▶ Idiosyncratic uncertainty, no aggregate uncertainty
- ▶ Heterogeneous plants producing differentiated tradable goods
  - ▶ Monopolistic competitors
  - ▶ Fixed export costs: startup and continuation
  - ▶ Plants are created: endogenous mass of firms
- ▶ Exporter life cycle: time to build demand/lower marginal export costs
- ▶ Final C/I good combines available differentiated tradables

## Model

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- ▶ Mass  $N_t, N_t^*$  differentiated  $H$  &  $F$  intermediates
- ▶ Each variety produced by 1 domestic-owned establishment
  - ▶ Idiosyncratic technology shocks:  $z, \phi(z'|z)$
  - ▶ Fixed export cost:  $f = \{f_H, f_L\}$  (paid in labor)
  - ▶ Iceberg costs:  $\xi = \{\xi_L, \xi_H, \infty\}$
  - ▶ Establishment's state:  $s = (z, \xi, f)$
  - ▶ Measure of establishments:  $\varphi_{i,t}(z, \xi, f)$

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  - ▶ Establishment's state:  $s = (z, \xi, f)$
  - ▶ Measure of establishments:  $\varphi_{i,t}(z, \xi, f)$
- ▶ Free entry: hire  $f_E$  workers, draw  $\phi_E(z)$  in  $t + 1$
- ▶ Exogenous survival:  $n_s(z)$
- ▶ Timing: fixed costs paid 1 period in advance



## Exporting technology

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- ▶ A nonexporter
  - ▶ In current period:  $\xi = \infty$
  - ▶ Can pay  $f = f_H$  to begin exporting next period
  - ▶ If so, in next period:  $\xi' = \xi_L$

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- ▶ Can pay  $f = f_L$  to continue exporting
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  - ▶ If so, in next period: draw  $\xi'$  w prob.  $\rho_\xi(\xi'|\xi)$
  - ▶ If not: exit raises cost to  $\infty$
- ▶ Our model:  $\xi_H > \xi_L, f_H > f_L$ 
  - ▶ Das, Roberts, Tybout (2007):  $\xi_H = \xi_L, f_H > f_L$
  - ▶ Ghironi and Melitz (2005):  $\xi_H = \xi_L, f_H = f_L$
  - ▶ Krugman (1980) w/heterogeneity:  $\xi_H = \xi_L, f_H = f_L = 0$

## Consumer's problem

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$$V_{C,0} = \max_{\{C_t, B_t, K_{t+1}\}} \sum_{t=0}^{\infty} \beta^t U(C_t)$$

$$C_t + K_{t+1} + Q_t \frac{B_t}{P_t} \leq W_t L_t + R_t K_t + (1 - \delta) K_t + \Pi_t + T_t + \frac{B_{t-1}}{P_t},$$

- ▶  $P_t$ ,  $W_t$  denote price level & real wage
- ▶  $\Pi_t$  sum of home country profits,  $T_t$  lump sum gov't transfers
- ▶ Foreign problem is analogous; foreign variables denoted by \*

$$Q_t = \beta \frac{U_{C,t+1}}{U_{C,t}} = \beta \frac{U_{C,t+1}^*}{U_{C,t+1}^*},$$

$$1 = \beta \frac{U_{C,t+1}}{U_{C,t}} (R_{t+1} + 1 - \delta) = \beta \frac{U_{C,t+1}^*}{U_{C,t}^*} (R_{t+1}^* + 1 - \delta)$$

## Competitive final good producers

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- ▶ Combine domestic and imported intermediates, produce goods for
  - ▶ Consumption, investment, and intermediate use

$$D_t = \left[ \int_s y_{H,t}^d(s)^{\frac{\theta-1}{\theta}} \varphi_{H,t}(s) ds + \int_s y_{F,t}^d(s)^{\frac{\theta-1}{\theta}} \varphi_{F,t}(s) ds \right]^{\frac{\theta}{\theta-1}}$$

$$D_t = C_t + I_t + \int_s x(s) \varphi_{H,t}(s) ds$$

- ▶ Representative firm maximizes

$$\Pi_t = D_t - \int_s P_{H,t}(s) y_{H,t}^d(s) \varphi_{H,t}(s) ds - (1 + \tau) \int_s P_{F,t}(s) y_{F,t}^d(s) \varphi_{F,t}(s) ds$$

- ▶ Generates standard input demand functions
- ▶  $\tau$  is a policy

## Tradable producers

- ▶ Individual state is  $s = (z, \xi, f)$
- ▶ Production Technology:  $y_t(s) = e^z \left[ k_t(s)^\alpha l_t(s)^{1-\alpha} \right]^{1-\alpha_x} x(s)^{\alpha_x}$
- ▶ Profit,  $\Pi_t(s)$ , is

$$\begin{aligned} \max_{P_H, P_H^*, l, k, x} \quad & P_{H,t}(s) y_{H,t}(s) + P_{H,t}^*(s) y_{H,t}^*(s) - W_t l_t(s) - R_t k_t(s) - P_t x_t(s) \\ \text{s.t.} \quad & y_t(s) = y_{H,t}^d(s) + (1 + \xi) y_{H,t}^{d*}(s), \end{aligned}$$

## Export decision

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$$V_t(z, \xi, f) = \max \{ V_t^1(z, \xi, f), V_t^0(z, \xi, f) \}$$

$$\begin{aligned} V_t^1(z, \xi, f) = & \max \Pi_t(z, \xi, f) - W_t f \\ & + n_s(z) Q_t \sum_{\xi' \in \{\xi_L, \xi_H\}} \int_{z'} V_{t+1}(z', \xi', f_L) \phi(z'|z) dz' \rho_\xi(\xi'|\xi) \end{aligned}$$

$$\begin{aligned} V_t^0(z, \xi, f) = & \max \Pi_t(z, \xi, f) \\ & + n_s(z) Q_t \int_{z'} V_{t+1}(z', \infty, f_H) \phi(z'|z) dz' \end{aligned}$$

- With 3 iceberg costs there are three marginal firm types

## Free entry

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- ▶ Hire  $f_E$  workers to enter
- ▶ Draw technology  $\phi_E(z)$ , produce in  $t + 1$

$$V_t^E = -W_t f_E + Q_t E V_t(z, \infty, f_H) \phi_E(z) \leq 0$$

$\Rightarrow N_{TE,t}$  new establishments



## Trade

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- ▶ No simple relationship between parameters and trade elasticity
- ▶ Trade depends on tariff and distribution of plant types  $\phi_{it}(z, \xi, f)$
- ▶ Lower tariff: increases export participation
- ▶ Lower tariff: increases duration in exporting, lowering  $\xi$

## Calibration: Aggregates

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► Utility:  $U(c) = \frac{c^{1-\sigma}}{1-\sigma}$

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$\sigma$	IES	2
$\delta$	Capital depreciation	0.10
$\beta$	Discounting	0.96
$\theta$	Elasticity of substitution	5
$\tau$	Tariff (Anderson and van Wincoop)	0.1
$\alpha_x$	MFR gross output/MFR VA = 2.8	0.81
$\alpha$	Capital share of income = 34%	0.13

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## Calibration: Establishment heterogeneity

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- ▶ Productivity

$$z' = \rho z + \epsilon \quad \epsilon \sim N(0, \sigma_\epsilon^2)$$

- ▶ Initial productivity

$$z' = -\mu_E + \epsilon_E \quad \epsilon_E \sim N\left(0, \frac{\sigma_\epsilon^2}{1 - \rho^2}\right)$$

- ▶ Probability of exit

$$1 - n_s(z) = \max\{0, \min\{e^{-\lambda z} + n_{d0}, 1\}\}$$

- ▶ Export costs: two state Markov  $\rho_{LL} = \rho_{HH}$

- ▶ Parameters  $(f_L, f_H, \xi_L, \xi_H, \rho_{HH}, \lambda, n_{d0}, \mu_E, \rho, \sigma_\epsilon^2)$

## Calibration: Establishment data

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### **A. Exporter dynamics and characteristics:**

1. Overall participation rate = 22.3 % (92 Census of Mfrs.)
2. Stopper rate = 17 % (ASM)
3. Initial export intensity 1/2 of avg. intensity (Ruhl&Willis 17)
4. 5 years to reach avg export intensity (Ruhl&Willis 17)

## Calibration: Establishment data

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### **B. Establishment heterogeneity:**

5. Entrant 5-yr survival 37 % (Dunne et al. 89)
6. Birth labor share = 1.5 % (Davis, et al. 96)
7. Exit labor share = 2.3 % (Davis, et al. 96)
8. Establishment and employment distribution (92 Census)
9. Establishment exporter distribution (92 Census)

## Overview

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- ▶ Exporter dynamics facts
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  - ▶ **Estimates of export technology**
  - ▶ Welfare in bilateral trade reform
  - ▶ Welfare in unilateral trade reform

## Estimate of benchmark export technology

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- ▶ Entry cost 40% larger than continuation cost:  $f_H/f_L = 1.4$
- ▶ High iceberg cost 62% larger than low iceberg cost (1.72 vs. 1.07)
- ▶ Iceberg cost very persistent:  $\rho(\xi_H|\xi_H) = 0.92$

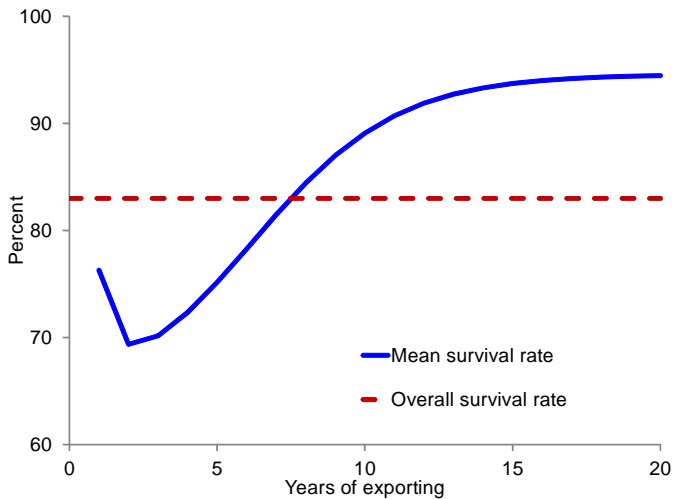
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<b>Common parameters</b>		
	Benchmark	Sunk-cost
$f_H/f_E$	0.038	
$f_L/f_E$	0.027	
$\xi_H$	1.718	
$\xi_L$	1.070	
$\rho_\xi$	0.916	

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## 1-year survival rate (not targeted)





## Alternative model: Sunk cost export technology

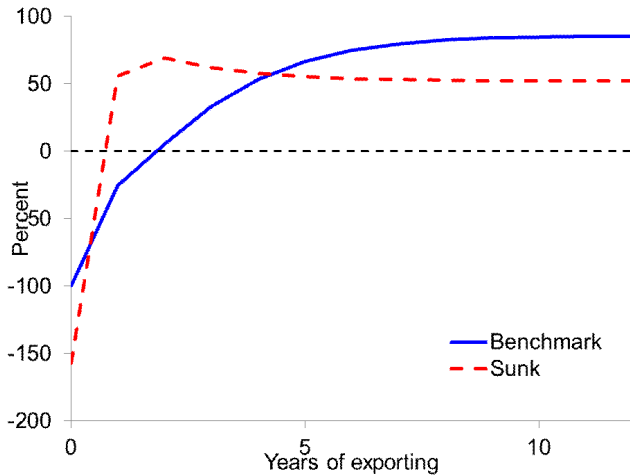
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- ▶ Restriction:  $\xi_H = \xi_L$

	Benchmark	Sunk-cost
$f_H/f_E$	0.038	0.058
$f_L/f_E$	0.027	0.015
$\xi_H$	1.718	1.430
$\xi_L$	1.070	1.430
$\rho\xi$	0.916	1.000

- ▶  $f_H/f_L = 3.9$  vs.  $f_H/f_L = 1.4$  in benchmark
- ▶ In benchmark model, high survival rate arises because producers don't want to go through growth process again — not sunk costs.

Profits of marginal starters:  $(E\pi_{x,t} - f) / f_H^{bench}$



## Overview

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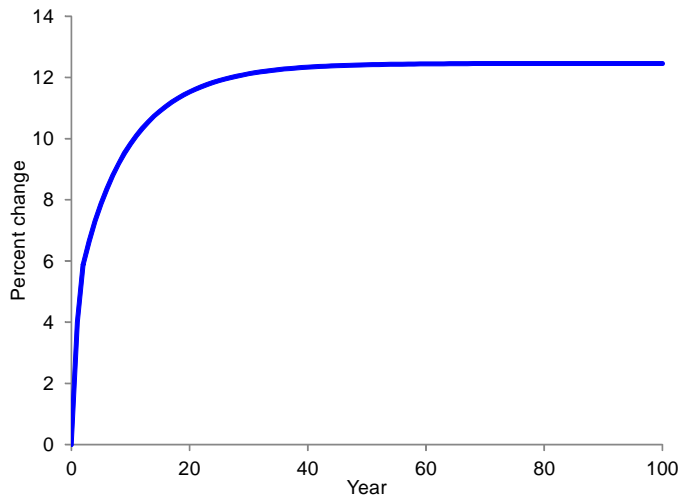
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### 3 experiments

1. Benchmark:  $\xi_H > \xi_L, f_H > f_L$
2. Sunk cost:  $\xi_H = \xi_L, f_H > f_L$
3. No cost:  $\xi_H = \xi_L, f_H = f_L = 0$

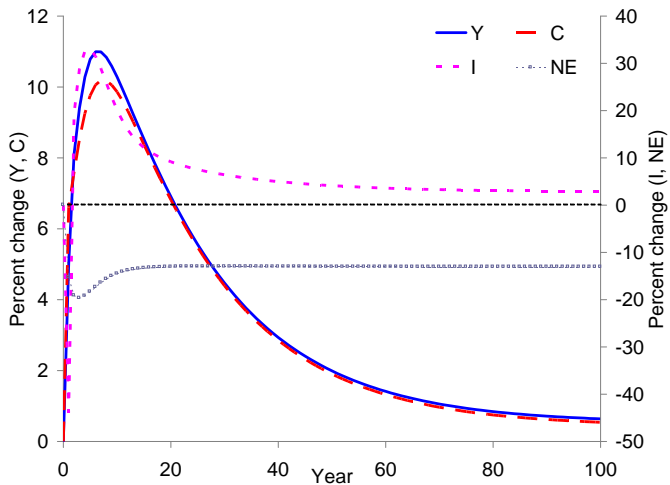
► Consider unanticipated global tariff reduction,  $\tau = 0.1 \rightarrow \tau = 0$

Dynamics following elimination of 10 percent tariff  
Benchmark Model: Trade elasticity



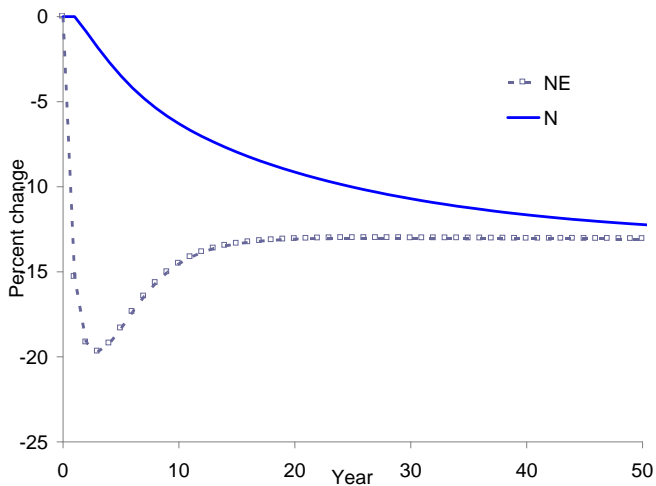
# Dynamics following elimination of 10 percent tariff

## Benchmark Model: Aggregate dynamics



# Dynamics following elimination of 10 percent tariff

## Benchmark Model: Aggregate dynamics



## The benchmark model

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<b>Change</b>	<b>Benchmark</b>	<b>Sunk-cost</b>	<b>No-cost</b>
Welfare gain	6.30		
Avg. trade elasticity ( $\bar{\varepsilon}_t$ )	10.2		
$\Delta$ SS. Consumption	0.42		
SS. Trade elasticity	11.5		

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Welfare gain is  $x$ :  $\sum_{t=0}^{\infty} \beta^t U(C_{-1}e^x) = \sum_{t=0}^{\infty} \beta^t U(C_t)$

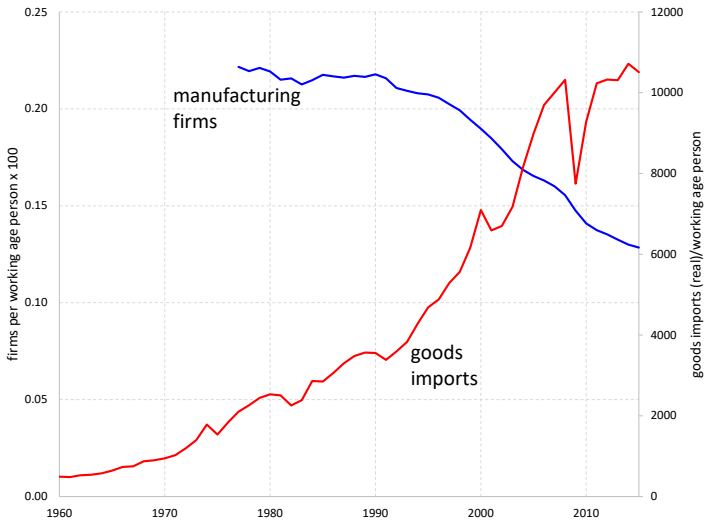
$$\bar{\varepsilon}_t = (1 - \beta) \sum_{t=0}^{\infty} \beta^t \varepsilon_t$$



## Source of overshooting

- ▶ Tariffs lead to an overaccumulation of establishments relative to free trade steady state
- ▶ These establishments can be converted at a low cost to exporters
- ▶ Labor that would have gone to firm creation goes to production

## Firms in the United States

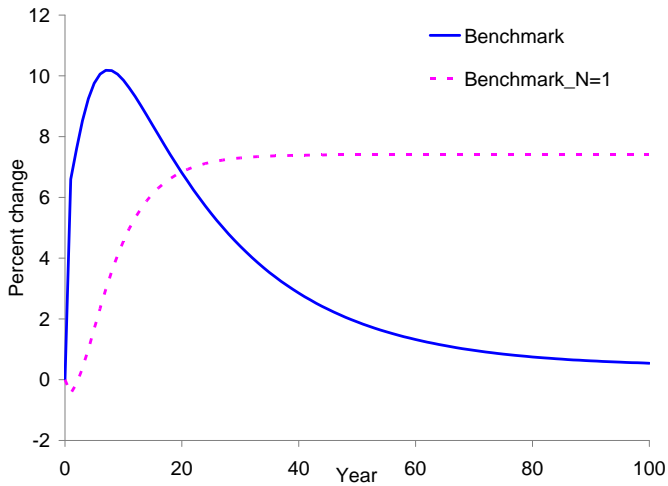


## Source of overshooting

- ▶ Tariffs lead to an overaccumulation of establishments relative to free trade steady state
- ▶ These establishments can be converted at a low cost to exporters
- ▶ Labor that would have gone to firm creation goes to production
  
- ▶ Plant creation dynamics key to overshooting
- ▶ Experiment: subsidize entry so that  $N_t = 1$

# Dynamics following elimination of 10 percent tariff

## Aggregate Output



## The sunk-cost model

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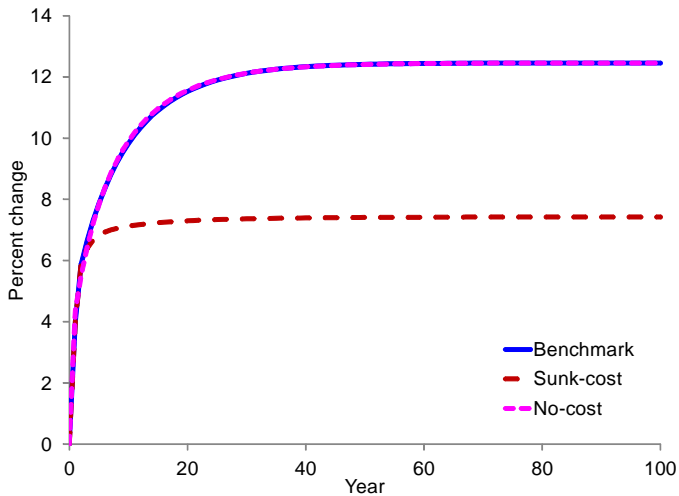
- ▶ Literature has focused on sunk costs as a source of persistent exporting
- ▶ Sunk cost model misses out on aspects of new exporter dynamics.
- ▶ Ask: How well does this simpler dynamic model of exporter approximate trade/welfare predictions of the benchmark model?

## The sunk-cost model

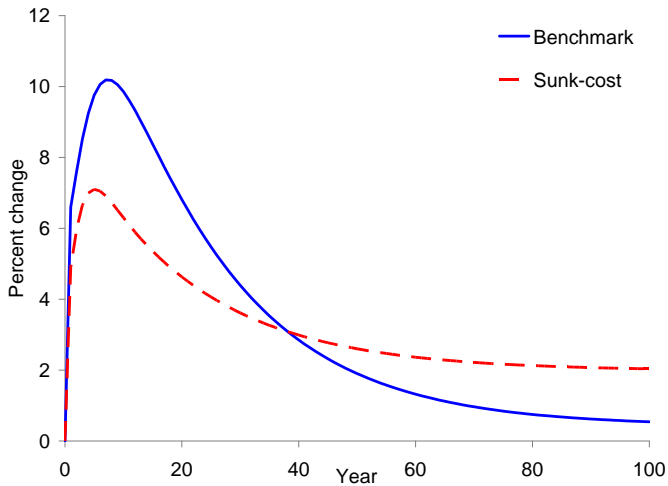
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- ▶ Sunk cost model misses out on aspects of new exporter dynamics.
- ▶ Ask: How well does this simpler dynamic model of exporter approximate trade/welfare predictions of the benchmark model?
- ▶ Answer: Not so good on trade, pretty good on consumption/welfare

## Trade elasticity

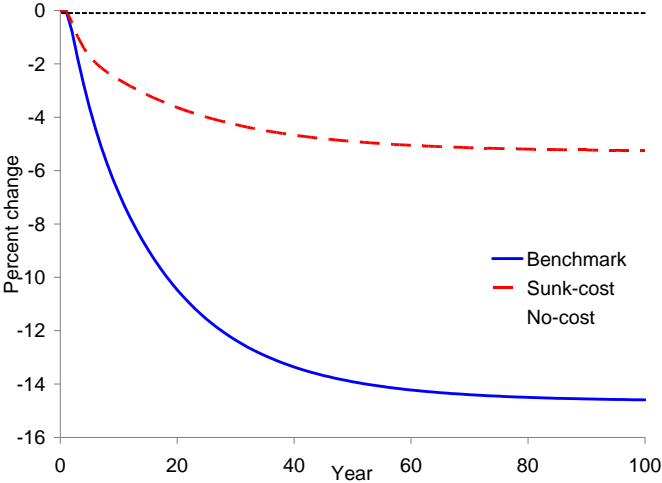


# Consumption





# Establishments



## The sunk-cost model

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<b>Change</b>	<b>Benchmark</b>	<b>Sunk-cost</b>	<b>No-cost</b>
Welfare gain	6.30	4.75	
Avg. trade elasticity ( $\bar{\epsilon}_t$ )	10.2	6.9	
$\Delta$ SS. Consumption	0.42	1.98	
SS. Trade elasticity	11.5	7.2	

Welfare gain is  $x$ :  $\sum_{t=0}^{\infty} \beta^t U(C_{-1}e^x) = \sum_{t=0}^{\infty} \beta^t U(C_t)$

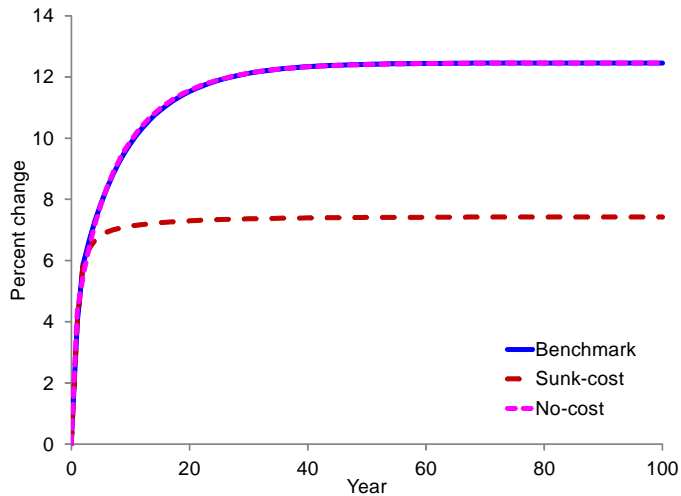
$$\bar{\epsilon}_t = (1 - \beta) \sum_{t=0}^{\infty} \beta^t \epsilon_t.$$

## How important is endogenous exporting?

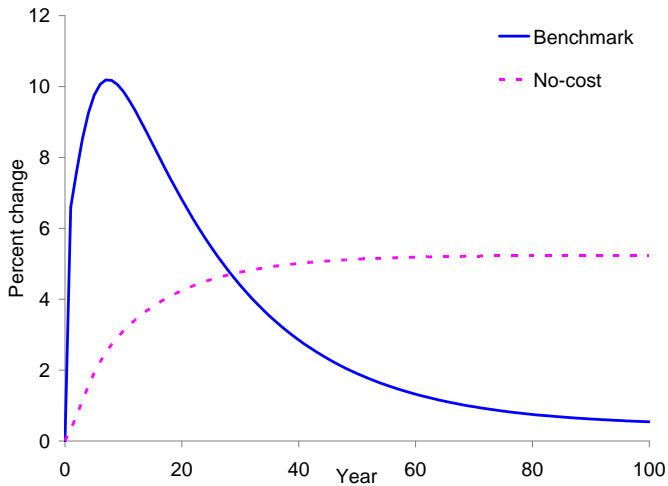
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- ▶ Krugman (1980): all firms export
- ▶ Requires two main changes
  1. Change  $\theta$  to get LR trade elasticity
  2. Add adjustment friction to get dynamics of trade elasticity

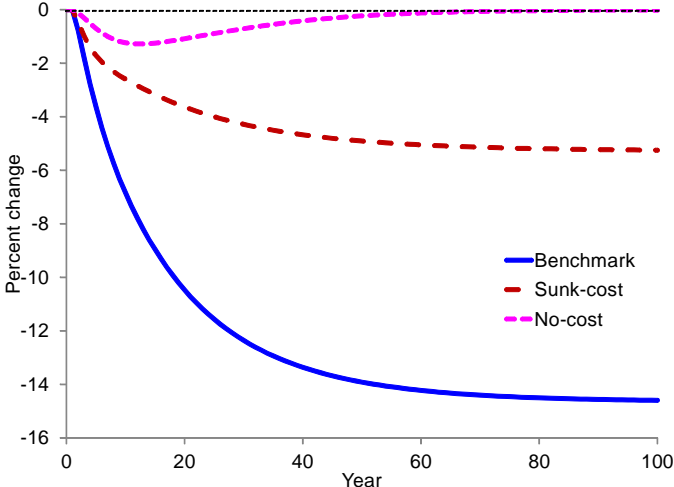
## Trade elasticity



# Consumption



# Establishments



## Modified Krugman (1980) model

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<b>Change</b>	<b>Benchmark</b>	<b>Sunk-cost</b>	<b>No-cost</b>
Welfare gain	6.30	4.75	2.34
Discounted trade elasticity	10.2	6.9	10.2
$\Delta$ SS. Consumption	0.42	1.98	3.93
SS. Trade elasticity	11.5	7.2	11.5

Welfare gain is  $x$ :  $\sum_{t=0}^{\infty} \beta^t U(C_{-1}e^x) = \sum_{t=0}^{\infty} \beta^t U(C_t)$

$$\bar{\varepsilon}_t = (1 - \beta) \sum_{t=0}^{\infty} \beta^t \varepsilon_t.$$

## Unilateral liberalization

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- ▶ Only home country eliminates tariff
- ▶ Financial autarky; non-contingent bond; complete markets
- ▶ Asymmetry generates
  - ▶ Unbalanced trade
  - ▶ Real exchange rate movements



## Unilateral liberalization

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Change	Benchmark		No-cost
	Bond	Complete Markets	Bond
Welfare			
Home	0.51		
Foreign	5.70		
SS Consumption			
Home	-2.43		
Foreign	2.82		

Welfare gain is  $x$ :  $\sum_{t=0}^{\infty} \beta^t U(C_{-1}e^x) = \sum_{t=0}^{\infty} \beta^t U(C_t)$

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Welfare gain is  $x$ :  $\sum_{t=0}^{\infty} \beta^t U(C_{-1}e^x) = \sum_{t=0}^{\infty} \beta^t U(C_t)$

## Unilateral liberalization

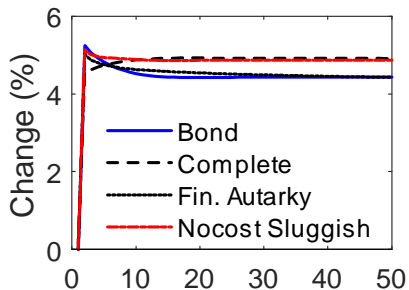
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Change	Benchmark		No-cost
	Bond	Complete Markets	Bond
Welfare			
Home	0.51		-0.62
Foreign	5.70		4.92
SS Consumption			
Home	-2.43		-0.06
Foreign	2.82		5.49

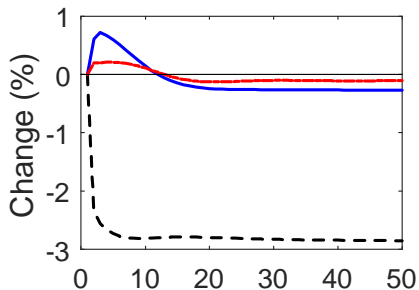
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## Dynamics following unilateral liberalization

### Real exchange rate



### Trade balance



## Unilateral liberalization

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- ▶ Developed general model of fixed/variable cost trade-off
- ▶ Selection effect weakened - producers & exporters quite substitutable
- ▶ Transition boost gains even though trade grows slowly
- ▶ Micro trade dynamics (and micro data) determine gains from trade
- ▶ Need more micro- and macro work measuring export dynamics